

Last Week

- ▶ Expressions, literals, operators, variables, identifiers, statements
- ▶ Variables are always typed and need to be declared
 - ▶ E.g., `String myString;`
- ▶ Values can be assigned to variables
 - ▶ E.g., `myString = "Guten Tag";`
- ▶ Operators, variables, literals are used in expressions
 - ▶ E.g., `5 + i` (expressions are not statements, therefore no `;`)
 - ▶ Expressions are evaluated to a defined value (of a certain type)

Exercise 2: Operators

Exercise 2: Operators

```
1 public class Operators {
2     public static void main(String[] args) {
3         int i;
4         int j;
5         boolean b;
6         i = 5;
7
8         j = 5 + 5; // 10
9         System.out.println(j);
10
11        j = 5 - 5 + 5 * 2; // 10
12        System.out.println(j);
13
14        j = i - 10 * i + 10; // -35
15        System.out.println(j);
16
17        b = i + 1 > i * 1; // true
18        System.out.println(b);
19    }
20 }
```



Session 3: Functions, commenting, data types, casting

Softwaretechnologie: Java 1

Nils Reiter

`nils.reiter@uni-koeln.de`

October 25, 2023

Section 1

Functions

Functions and Methods

- ▶ For the time being, we will use the terms function and method interchangeably
- ▶ Purpose: Code structuring
- ▶ Functions: A named code block to be defined once and called multiple times

Functions and Methods

- ▶ For the time being, we will use the terms function and method interchangeably
- ▶ Purpose: Code structuring
- ▶ Functions: A named code block to be defined once and called multiple times
- ▶ Function call: `FUNCTION_NAME (ARGUMENTS);`
 - ▶ E.g. `System.out.println("Welcome ...");`
- ▶ Function definition: `static RETURN_TYPE FUNCTION_NAME (ARGUMENTS) CODE_BLOCK`

```
1 static void myFunction(String s) {  
2     // some code  
3 }
```

demo

Return and Return Types

- ▶ Much like expressions, functions yield a value when executed
- ▶ The type needs to be declared beforehand

`static int bla() { ... }`: This function returns an int value

`static boolean bla() { ... }`: This function returns a boolean value

`static String bla() { ... }`: This function returns a String value

- ▶ Functions without return value are specified to return `void`

`static void bla() { ... }`

Return and Return Types

- ▶ Much like expressions, functions yield a value when executed

- ▶ The type needs to be declared beforehand

`static int bla() { ... }`: This function returns an int value

`static boolean bla() { ... }`: This function returns a boolean value

`static String bla() { ... }`: This function returns a String value

- ▶ Functions without return value are specified to return `void`

`static void bla() { ... }`

- ▶ Within the function body

- ▶ `return`-statement ends function, returns value

`return 5;`

Return and Return Types

- ▶ Much like expressions, functions yield a value when executed

- ▶ The type needs to be declared beforehand

`static int bla() { ... }`: This function returns an int value

`static boolean bla() { ... }`: This function returns a boolean value

`static String bla() { ... }`: This function returns a String value

- ▶ Functions without return value are specified to return `void`

`static void bla() { ... }`

- ▶ Within the function body

- ▶ `return`-statement ends function, returns value

`return 5;`

- ▶ For the time being, we will additionally declare all functions as `static`

- ▶ Until we talked about classes and objects

Function Calls in Expressions and Statements

- ▶ Function calls can be used in expressions

```
1 int x = squaremyFunction(17) + 2345 - myOtherFunction("Hello", true);
```

$$x = 17^2 + 2345 - 4 \quad \text{RHS}$$

Function Calls in Expressions and Statements

- ▶ Function calls can be used in expressions

```
1 int x = myFunction(17) + 2345 - myOtherFunction("Hello", true);
```

- ▶ Expressions with a semicolon are statements

```
1 myFunction(15);  
2 5 + 17 / 123;  
3 System.out.println("Welcome ...");
```

Arguments in Functions

- ▶ Functions can take arguments

```
static void myFunction(int x, String s, boolean b) { ... }
```

- ▶ Arguments are declared within the function (= in the scope of the function)

Arguments in Functions

- ▶ Functions can take arguments

```
static void myFunction(int x, String s, boolean b) { ... }
```

- ▶ Arguments are declared within the function (= in the scope of the function)
- ▶ Argument values must be passed in the defined order when calling the function

```
myFunction(7, "Hello", true);
```

Arguments in Functions

- ▶ Functions can take arguments

```
static void myFunction(int x, String s, boolean b) { ... }
```

- ▶ Arguments are declared within the function (= in the scope of the function)
- ▶ Argument values must be passed in the defined order when calling the function

```
myFunction(7, "Hello", true);
```

- ▶ Argument values can also be specified as expressions

```
myFunction(7 + 45, s, i < 5);
```


Section 2

Data Types

Data Types

- ▶ Java: Strong typing
- ▶ All variables and literals in Java have types
- ▶ Types are known at compile-time
- ▶ Benefit: Compiler can prevent type-related errors
 - ▶ E.g., it's a compile error to subtract a String

Primitive Data Types and Objects

Two kinds of types

- ▶ Primitive data types: Built into the language
 - ▶ Type names are reserved keywords in Java
 - ▶ I.e., it's not allowed to use them as an identifier
 - ▶ Convention: Lower cased

int
boolean

Primitive Data Types and Objects

Two kinds of types

- ▶ Primitive data types: Built into the language
 - ▶ Type names are reserved keywords in Java
 - ▶ I.e., it's not allowed to use them as an identifier
 - ▶ Convention: Lower cased
- ▶ Non-primitive data types ("reference types"): Established in the library
 - ▶ Type names are defined by library authors
 - ▶ Convention: Upper cased
 - ▶ Reference types can also be defined by us (in the form of classes, to be discussed later)

String

→ später

Primitive Data Types

Keyword	Full name	Values
<code>boolean</code>	Binary value	<code>true</code> , <code>false</code>
<code>byte</code>	1 Byte (= 8 bit)	-128 to 127
<code>short</code>	short integer (16 bit)	-32 768 to 32 767
<code>int</code>	Integer (32 bit)	-2 147 483 648 to 2 147 483 647
<code>long</code>	long integer (64 bit)	-9 223 372 036 854 775 808 to 9 223 372 036 854 775 807
<code>char</code>	Character in UTF-16	<code>'\u0000'</code> to <code>'\uffff'</code> (65536 = 2^{16} symbols)
<code>float</code>	Decimal numbers (32 bit)	$\pm 1.4 \times 10^{-45}$ to $\pm 3.4 \times 10^{38}$
<code>double</code>	Decimal numbers (64 bit)	$\pm 4.9 \times 10^{-324}$ to $\pm 1.8 \times 10^{308}$

Gravite Felder

A-Z

Kommazahlen

Table: All primitive data types in Java

Bits and Bytes

▶ 1 Bit:

0

 or

1

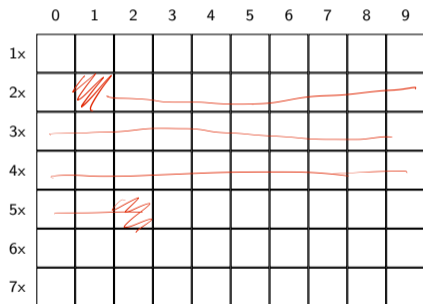
▶ 1 Byte = 8 Bit:

0	0	0	0	0	0	0	0
---	---	---	---	---	---	---	---

 –

1	1	1	1	1	1	1	1
---	---	---	---	---	---	---	---

Primitive Types in Memory



```

1 int myIntVariable = 32785;
2 // compiler knows that myIntVariable
3 // goes from bits 29 to 60
4 byte myByteVariable = 4;
5 // myByteVariable: bits 61 to 68

```

Primitive Types in Memory

	0	1	2	3	4	5	6	7	8	9
1x										
2x										0
3x	0	0	0	0	0	0	0	0	0	0
4x	0	0	0	0	0	1	0	0	0	0
5x	0	0	0	0	0	0	1	0	0	0
6x	1									
7x										

```

1 int myIntVariable = 32785;
2 // compiler knows that myIntVariable
3 // goes from bits 29 to 60
4 byte myByteVariable = 4;
5 // myByteVariable: bits 61 to 68

```


Primitive Types in Memory

	0	1	2	3	4	5	6	7	8	9
1x										
2x										0
3x	0	0	0	0	0	0	0	0	0	0
4x	0	0	0	0	0	1	0	0	0	0
5x	0	0	0	0	0	0	1	0	0	0
6x	1	0	0	0	0	0	1	0	0	
7x										

```

1 int myIntVariable = 32785;
2 // compiler knows that myIntVariable
3 // goes from bits 29 to 60
4 byte myByteVariable = 4;
5 // myByteVariable: bits 61 to 68

```

Data Types for Boolean Values

Keyword	Full name	Values
<code>boolean</code>	Binary value	<code>true</code> , <code>false</code>

- ▶ Occupies a single bit
- ▶ Comparison operators that produce a boolean value:

- ▶ `5 < 7 //yields true`

- ▶ `9 == 5 //yields false`

- ▶ `5 <= 6 //yields true`

Data Types for Boolean Values

Keyword	Full name	Values
<code>boolean</code>	Binary value	<code>true</code> , <code>false</code>

- ▶ Occupies a single bit
- ▶ Comparison operators that produce a boolean value:

- ▶ `5 < 7 //yields true`

- ▶ `9 == 5 //yields false`

- ▶ `5 <= 6 //yields true`

String s(=) "Hallo";

⚠ `=` and `==` are not the same thing

Data Types for Natural Numbers

Keyword	Full name	Values
<code>byte</code>	1 Byte (= 8 bit)	-128 to 127
<code>short</code>	short integer (16 bit)	-32 768 to 32 767
<code>int</code>	Integer (32 bit)	-2 147 483 648 to 2 147 483 647
<code>long</code>	long integer (64 bit)	-9 223 372 036 854 775 808 to 9 223 372 036 854 775 807

- ▶ Integral data types defined over the number of bits they occupy
- ▶ Shorter types consume less memory
- ▶ I.e.: If you know a value will never be higher than 127, use a byte
 - ▶ E.g., To store calendar weeks, human age in years(?), ...

Integral Data Types

Literals

- ▶ By default: literal numbers are of type `int` (e.g., in an expression)

```
1 int myIntValue = 27; // literal int value assigned to an int variable
2 byte myByteValue = 27; // literal int value assigned to a byte variable
3 long myLongValue = 27; // literal int assigned to a long variable
4
5 long myLargeLongValue = 27000000000000000000L;
6 // append L to enforce a long literal
7 long mySmallLongValue = 27L; // also works for small numbers
```

Integral Data Types

Literals

- ▶ By default: literal numbers are of type `int` (e.g., in an expression)

```

1 int myIntValue = 27; // literal int value assigned to an int variable
2 byte myByteValue = 27; // literal int value assigned to a byte variable
3 long myLongValue = 27; // literal int assigned to a long variable
4
5 long myLargeLongValue = 2700000000000000000L;
6 // append L to enforce a long literal
7 long mySmallLongValue = 27L; // also works for small numbers

```

- ▶ Why can we assign an int literal to a byte/long/short variable?
 → Implicit casting (see below)!

*nicht so
wird*

Character Data

Keyword	Full name	Values
<code>char</code>	Character in UTF-16	<code>'\u0000'</code> to <code>'\uffff'</code> ($65536 = 2^{16}$ symbols)

- ▶ Characters are represented in computers by enumerating them
- ▶ American Standard Code for Information Interchange (ASCII)
 - ▶ 128 characters, including control symbols for telegraphy
 - ▶ No German Umlauts etc.
- ▶ Unicode: A single standard to represent *all* characters from all languages
 - ▶ 149 186 characters, including CJK ideographs
 - ▶ Complex enumeration scheme

[Wikipedia: ASCII](#)

unicode.org

[Unicode 15.0 charts](#)

Character Data

char data type

- ▶ `char` represents a single character in two bytes (16 bit)
- ▶ Literal char values are written with single quotes: `char ch = 'a';`
- ▶ Unicode code points can also be used: `char ch = '\u1A0A'; // "BUGINESE LETTER NA"`
 - ▶ $1A0A_{b=16} = 6666_{b=10} = \text{^}$
- ▶ Integer values also possible: `char ch = 121;` (implicit cast)
- ▶ `char` is not the same as `String`

Decimal Numbers

- ▶ Real numbers challenging for computers
- ▶ Floating-point arithmetic developed in Mesopotamia (ca. 700 BCE!)
- ▶ First used in computer by Zuse in 1937/1941

Decimal Numbers

- ▶ Real numbers challenging for computers
- ▶ Floating-point arithmetic developed in Mesopotamia (ca. 700 BCE!)
- ▶ First used in computer by Zuse in 1937/1941
- ▶ Naive idea: Two integer values, before and after decimal point
 - ▶ Wasteful and complex to implement math

Decimal Numbers

- ▶ Real numbers challenging for computers
- ▶ Floating-point arithmetic developed in Mesopotamia (ca. 700 BCE!)
- ▶ First used in computer by Zuse in 1937/1941
- ▶ Naive idea: Two integer values, before and after decimal point
 - ▶ Wasteful and complex to implement math
- ▶ Better idea: Represent number in scientific notation, store digits and exponent separately
 - ▶ E.g.: $123.345 = 123345 * 10^{-3}$ (there are many details left out here)

$123.345 = 123345 * 10^{-3}$

int int

Decimal Numbers

- ▶ Real numbers challenging for computers
- ▶ Floating-point arithmetic developed in Mesopotamia (ca. 700 BCE!)
- ▶ First used in computer by Zuse in 1937/1941
- ▶ Naive idea: Two integer values, before and after decimal point
 - ▶ Wasteful and complex to implement math
- ▶ Better idea: Represent number in scientific notation, store digits and exponent separately
 - ▶ E.g.: $123.345 = 123345 * 10^{-3}$ (there are many details left out here)
- ⚠ Floating point numbers are *approximations*, not all values can be represented

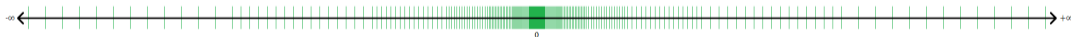


Figure: Representable numbers in floating point representation

Decimal Numbers in Java

Keyword	Full name	Values
<code>float</code>	Decimal numbers (32 bit)	$\pm 1.4 \times 10^{-45}$ to $\pm 3.4 \times 10^{38}$
<code>double</code>	Decimal numbers (64 bit)	$\pm 4.9 \times 10^{-324}$ to $\pm 1.8 \times 10^{308}$

Table: Floating point types

Decimal Numbers in Java

Keyword	Full name	Values
<code>float</code>	Decimal numbers (32 bit)	$\pm 1.4 \times 10^{-45}$ to $\pm 3.4 \times 10^{38}$
<code>double</code>	Decimal numbers (64 bit)	$\pm 4.9 \times 10^{-324}$ to $\pm 1.8 \times 10^{308}$

Table: Floating point types

- ▶ By default: Decimal numbers interpreted as double

Decimal Numbers in Java

Keyword	Full name	Values
<code>float</code>	Decimal numbers (32 bit)	$\pm 1.4 \times 10^{-45}$ to $\pm 3.4 \times 10^{38}$
<code>double</code>	Decimal numbers (64 bit)	$\pm 4.9 \times 10^{-324}$ to $\pm 1.8 \times 10^{308}$

Table: Floating point types

► By default: Decimal numbers interpreted as double

```

1 float myFloatVariable = 3.0; // literal double, no implicit cast: compile error!
2 double myDoubleVariable = 3.0; // literal double
3 float myExplicitFloatVariable = 5.0f; // literal float value
4 double myDoubleVariable = 5.0f; // literal float casted into a double

```

Division, again

- ▶ Dividing two `int` numbers yields unexpected results
- ▶ If one number is a floating-point-number, we get decimal division

```
1 int a = 7;
2 int bInt = 14;
3 System.out.println(a / bInt); // prints 0
4
5 double bFloat = 14.0;
6 System.out.println(7 / bFloat); // prints 0.5
```


Operators

- ▶ Math operators: `+`, `-`, `*`, `/`, `%`
 - ▶ `/` behaves differently in decimal or natural mode
- ▶ Comparison operators: `<`, `<=`, `==`, `>=`, `>`
 - ▶ Yield boolean values

Operators

- ▶ Math operators: `+`, `-`, `*`, `/`, `%`
 - ▶ `/` behaves differently in decimal or natural mode
- ▶ Comparison operators: `<`, `<=`, `==`, `>=`, `>`
 - ▶ Yield boolean values
- ▶ Logical operators: `&&`, `||`, `!`
 - ▶ Yield boolean values, expect boolean input
- ▶ All operators: `https://docs.oracle.com/javase/tutorial/java/nutsandbolts/operators.html`
 - ▶ Some will be introduced later in the semester

Section 3

Casting

Casting

- ▶ Converting from one type into another
- ▶ Explicit casting: Target type in parentheses

```
1 char myChar = 'a';  
2 int myInteger = (int) myChar;  
3 double d = (double) myInteger;
```

- ▶ Not all types can be cast into all other types
 - ▶ E.g., no casting from int to boolean
- ▶ Cast operator is an operator, i.e.: Can be used in expressions
 - ▶ `boolean b = (double) ((int)'a'+ 5) / 17 >= 5.0`

Implicit Casting

- ▶ If needed *and* possible without information loss
- ▶ `double` can represent more numbers than `float`
 - ▶ `float` to `double`: No information loss
 - ▶ `double` to `float`: Potential loss
 - ▶ Explicit casting possible, use at your own risk
- ▶ `long` can represent more numbers than `short`
 - ▶ `short` to `long`: No information loss
 - ▶ `long` to `short`: Potential loss
 - ▶ Explicit casting possible, use at your own risk

Section 4

Commenting

Comments

- ▶ Ignored by the compiler
- ▶ Information for us humans

Comments

- ▶ Ignored by the compiler
- ▶ Information for us humans

Two types

```
1 // This comment ends when the line ends
2
3 /* This comments ends with */
4
5 /*
6 We can include text that spans
7 multiple lines
8 */
```


Comments

Example

```
1 public class Example {
2
3     public static void main(String[] args) {
4         // stores how much users want to withdraw
5         int amount = 1500;
6
7         /* the next lines are supposed to calculate
8            the third root of amount, I took the idea from
9            http://www...
10        */
11        int temp = 3;
12        amount = amount / temp;
13        // TODO: Implement me!
14    }
15 }
```

Commenting

- ▶ No fixed rules what to comment

Commenting

- ▶ No fixed rules what to comment
- ▶ Helpful: Your intentions, complex expressions, non-trivial functions
- ▶ Avoid commenting trivial things
- ▶ Keep comments up to date
- ▶ Don't make ASCII art in comments

Section 5

Exercise

Section 6

Place Value Systems

Place Value Systems

“Stellenwertsysteme”

- ▶ What's the value of 712 (in the decimal system)?

Place Value Systems

“Stellenwertsysteme”

- ▶ What's the value of 712 (in the decimal system)?
 $7 * 100 + 1 * 10 + 2 * 1$

Place Value Systems

“Stellenwertsysteme”

- ▶ What's the value of 712 (in the decimal system)?
 $7 * 100 + 1 * 10 + 2 * 1$
- ▶ What's the value of x , if x has four places?

Place Value Systems

“Stellenwertsysteme”

- ▶ What's the value of 712 (in the decimal system)?

$$7 * 100 + 1 * 10 + 2 * 1$$

- ▶ What's the value of x , if x has four places?

$$x_3 * 1000 + x_2 * 100 + x_1 * 10 + x_0 * 1$$

Place Value Systems

“Stellenwertsysteme”

- ▶ What's the value of 712 (in the decimal system)?

$$7 * 100 + 1 * 10 + 2 * 1$$

- ▶ What's the value of x , if x has four places?

$$x_3 * 1000 + x_2 * 100 + x_1 * 10 + x_0 * 1$$

- ▶ Even more generic (with n being the number of digits):

$$\begin{aligned} x &= x_n * 10^n + x_{n-1} * 10^{n-1} * \dots * x_0 * 10^0 \\ &= \sum_{i=0}^n x_i 10^i \end{aligned}$$

Place Value Systems

Decimal and others

- ▶ Decimal system uses base 10, but other bases could be used as well

Place Value Systems

Decimal and others

- ▶ Decimal system uses base 10, but other bases could be used as well

$$\text{value of } x \text{ with } n \text{ places, interpreted to the base } b = \sum_{i=0}^n x_i b^i$$

Examples

$$15_{b=10} = 1 * 10^1 + 5 * 10^0 = 15_{b=10}$$

$$15_{b=8} = 1 * 8^1 + 5 * 8^0 = 13_{b=10}$$

Place Value Systems

Decimal and others

- ▶ Decimal system uses base 10, but other bases could be used as well

$$\text{value of } x \text{ with } n \text{ places, interpreted to the base } b = \sum_{i=0}^n x_i b^i$$

Examples

$$15_{b=10} = 1 * 10^1 + 5 * 10^0 = 15_{b=10}$$

$$15_{b=8} = 1 * 8^1 + 5 * 8^0 = 13_{b=10}$$

$$15_{b=3} =$$

Place Value Systems

Decimal and others

- ▶ Decimal system uses base 10, but other bases could be used as well

$$\text{value of } x \text{ with } n \text{ places, interpreted to the base } b = \sum_{i=0}^n x_i b^i$$

Examples

$$15_{b=10} = 1 * 10^1 + 5 * 10^0 = 15_{b=10}$$

$$15_{b=8} = 1 * 8^1 + 5 * 8^0 = 13_{b=10}$$

$$15_{b=3} = \text{undefined symbol } 5$$

Place Value Systems

Decimal and others

- ▶ Decimal system uses base 10, but other bases could be used as well

$$\text{value of } x \text{ with } n \text{ places, interpreted to the base } b = \sum_{i=0}^n x_i b^i$$

Examples

$$15_{b=10} = 1 * 10^1 + 5 * 10^0 = 15_{b=10}$$

$$15_{b=8} = 1 * 8^1 + 5 * 8^0 = 13_{b=10}$$

$$15_{b=3} = \text{undefined symbol } 5$$

$$11_{b=2} = 1 * 2^1 + 1 * 2^0 = 3_{b=10}$$

Place Value Systems

Decimal and others

- ▶ Decimal system uses base 10, but other bases could be used as well

$$\text{value of } x \text{ with } n \text{ places, interpreted to the base } b = \sum_{i=0}^n x_i b^i$$

Examples

$$15_{b=10} = 1 * 10^1 + 5 * 10^0 = 15_{b=10}$$

$$15_{b=8} = 1 * 8^1 + 5 * 8^0 = 13_{b=10}$$

$$15_{b=3} = \text{undefined symbol } 5$$

$$11_{b=2} = 1 * 2^1 + 1 * 2^0 = 3_{b=10}$$

$$1010_{b=2} = 1 * 2^3 + 0 * 2^2 + 1 * 2^1 + 0 * 2^0 = 10_{b=10}$$

Place Value Systems

Maximal Numbers

- ▶ Highest number depends on the number of places
- ▶ For 3 places
 - ▶ Decimal ($b = 10$): $999_{b=10} = 1000_{b=10} - 1$
 - ▶ Octal ($b = 8$): $777 = 511_{b=10} = 1000_{b=8} - 1$
 - ▶ Binary ($b = 2$): $111 = 7_{b=10} = 1000_{b=2} - 1$

Place Value Systems

Maximal Numbers

- ▶ Highest number depends on the number of places
- ▶ For 3 places
 - ▶ Decimal ($b = 10$): $999_{b=10} = 1000_{b=10} - 1$
 - ▶ Octal ($b = 8$): $777 = 511_{b=10} = 1000_{b=8} - 1$
 - ▶ Binary ($b = 2$): $111 = 7_{b=10} = 1000_{b=2} - 1$
- ▶ More general
 - ▶ Maximal value with n places to base b : $b^n - 1$
 - ▶ I.e.: 4 bits can distinguish 16 different states

Place Value Systems

Maximal Numbers

- ▶ Highest number depends on the number of places
- ▶ For 3 places
 - ▶ Decimal ($b = 10$): $999_{b=10} = 1000_{b=10} - 1$
 - ▶ Octal ($b = 8$): $777 = 511_{b=10} = 1000_{b=8} - 1$
 - ▶ Binary ($b = 2$): $111 = 7_{b=10} = 1000_{b=2} - 1$
- ▶ More general
 - ▶ Maximal value with n places to base b : $b^n - 1$
 - ▶ I.e.: 4 bits can distinguish 16 different states

0	0000
1	0001
2	0010
3	0011
4	0100
5	0101
6	0110
7	0111
8	1000
9	1001
10	1010
11	1011
12	1100
13	1101
14	1110
15	1111